

17.解:(1) $\therefore 2x+5y-3=0, \therefore 2x+5y=3$ .  
 $\therefore 4^x \cdot 32^y = 2^{2x} \cdot 2^{5y} = 2^{2x+5y} = 2^3 = 8$ .  
 (2) $\therefore 2 \times 8^x \times 16 = 2^{23}, \therefore 2 \times 2^{3x} \times 2^4 = 2^{23}$ .  
 $\therefore 1+3x+4=23$ .  
 解得  $x=6$ .  
 四、  
 18.解:(1) $A=(3x-1)(2x+1)-x+1-6y^2$   
 $=6x^2+x-1-x+1-6y^2$   
 $=6x^2-6y^2$ .  
 (2)解方程组  $\begin{cases} x+y=5, \\ x-y=1, \end{cases}$  得  $\begin{cases} x=3, \\ y=2. \end{cases}$   
 $\therefore A=6x^2-6y^2=6 \times 3^2-6 \times 2^2=54-24=30$ .  
 19.解:(1) $(6a+5b-a)(5b-a-a)=(5a+5b)(5b-2a)=-10a^2+15ab+25b^2$ .  
 答:剩余草坪的面积是  $(-10a^2+15ab+25b^2)$  平方米.  
 (2)当  $a=1, b=3$  时,  $-10a^2+15ab+25b^2=-10 \times 1^2+15 \times 1 \times 3+25 \times 3^2=260$ .  
 $\therefore a=1, b=3$  时, 剩余草坪的面积是 260 平方米.  
 20.解:(1) $x=2$ .  
 (2)1,3.(答案不唯一)  
 (3)根据题意,得  $4k+b=0$ .  
 $\therefore b=-4k$ .  
 解关于  $y$  的方程  $k(3y+2)-(-4k)=0$ ,  
 $3ky+6k=0$ .  
 $\therefore k \neq 0, \therefore 3y+6=0$ .  
 解得  $y=-2$ .  
 五、  
 21.解:(1) $\therefore (2x-a)(3x+b)$   
 $=6x^2+2bx-3ax-ab$   
 $=6x^2+(2b-3a)x-ab$   
 $=6x^2-5x-6$ .  
 $\therefore 2b-3a=-5$ .①  
 $\therefore (2x+a)(x+b)$   
 $=2x^2+2bx+ax+ab$   
 $=2x^2+(2b+a)x+ab$   
 $=2x^2+7x+6$ .  
 $\therefore 2b+a=7$ .②  
 由①和②组成方程组: $\begin{cases} 2b-3a=-5, \\ 2b+a=7. \end{cases}$   
 解得  $\begin{cases} a=3, \\ b=2. \end{cases}$   
 (2) $(2x+3)(3x+2)=6x^2+13x+6$ .  
 22.解:(1)2;3.  
 (2)(5,14).  
 理由:设(5,2)= $x$ , (5,7)= $y$ ,  
 则  $5^x=2, 5^y=7$ .  
 $\therefore 5^{x+y}=5^x \cdot 5^y=14$ . $\therefore (5,14)=x+y$ .  
 $\therefore (5,2)+(5,7)=(5,14)$ .  
 (3)证明:设  $(2^n, 3^n)=x$ ,  
 则  $(2^n)^n=3^n$ , 即  $(2^x)^n=3^n$ .  
 $\therefore 2^x=3$ , 即  $(2,3)=x$ .  
 $\therefore (2^n, 3^n)=(2,3)$  对于任意自然数  $n$  都成立.  
 六、  
 23.解:(1) $\therefore \log_4 2=2, \therefore x^2=4$ .  
 $\therefore x>0, \therefore x=2$ .  
 (2) $\log_4 50=\log_4(10 \times 5)=\log_4 10+\log_4 5=a+b$ .  
 (3) $(\lg 2)^2+\lg 2 \cdot \lg 5+\lg 5-2020$   
 $=\lg 2(\lg 2+\lg 5)+\lg 5-2020$   
 $=\lg 2 \cdot \lg 10+\lg 5-2020$   
 $=\lg 2+\lg 5-2020$   
 $=1-2020$   
 $=-2019$ .

第 12 期  
 2 版  
 14.1.4 整式的乘法(二)  
 第 4 课时  
 1.D  
 2. $\frac{9}{16}$   
 3.解:(1)原式= $y^9 \div y^6=y^3$ .  
 (2)原式= $a^6 \div a^6 \cdot a^6=a^6$ .  
 4.C  
 5.解:(1)原式= $48x^5y^2 \div 8xy=6x^4y$ .  
 (2)原式= $-3a^6b^7c \cdot \frac{1}{2}a=-\frac{3}{2}a^7b^7c$ .  
 6.解:(1)原式= $15x^2y \div 5xy-10xy^2 \div 5xy=3x-2y$ .  
 (2)原式= $b^2-2ab+4a^2-2ab=b^2-4ab+4a^2$ .  
 7.解: $\therefore 3^2 \cdot 9^{2a+1} \div 27^{a+1}=81$ ,  
 $\therefore 3^2 \cdot 3^{4a+2} \div 3^{3a+3}=3^4$ .  
 $\therefore 3^{4a+4} \div 3^{3a+3}=3^4$ , 即  $3^{a+1}=3^4$ .  
 $\therefore a+1=4$ .  
 解得  $a=3$ .  
 14.2.1 平方差公式  
 1.B  
 2.解:(1)原式= $4x^2-25$ .  
 (2)原式= $a^2-1-a^2+2a=2a-1$ .  
 3.(a+2)(a-2)= $a^2-4$   
 14.2.2 完全平方公式  
 第 1 课时  
 1.B  
 2.解:(1)原式= $4m^2-12mn+9n^2$ .  
 (2)原式= $16x^2+16xy+4y^2$ .  
 (3)原式= $(200-2)^2=40000-2 \times 2 \times 200+2^2=39204$ .  
 3.D  
 第 2 课时  
 1.C  
 2.解:(1)原式= $[(x-2y)+1]^2$   
 $=(x-2y)^2+2(x-2y)+1$   
 $=x^2-4xy+4y^2+2x-4y+1$ .  
 (2)原式= $[2x+(y+z)][2x-(y+z)]$   
 $=(2x)^2-(y+z)^2$   
 $=4x^2-(y^2+2yz+z^2)$   
 $=4x^2-y^2-2yz-z^2$ .  
 3~4 版  
 一、选择题  
 1~3.CBD  
 二、填空题  
 7. $m^2$  8.4b-3a  
 9.-1 10.2  
 11.1 12.20  
 三、  
 13.(1) $\frac{1}{4}x^2-y^2$ ;  
 (2) $49x^2-28xy+4y^2$ .  
 14.解:(1)原式= $4x^2+4x+1-4(x^2-1)=4x^2+4x+1-4x^2+4=4x+5$ .  
 (2)原式= $4a^2-4ab+b^2-(4a^2-2ab)=4a^2-4ab+b^2-4a^2+2ab=b^2-2ab$ .  
 15.解:原式= $(x^2y^2-4-2x^2y^2+4) \div xy=-x^2y^2 \div xy=-xy$ .  
 当  $x=1, y=-\frac{1}{2}$  时,  
 原式= $-1 \times (-\frac{1}{2})=\frac{1}{2}$ .  
 16.解:(1) $\therefore a^n=2, a^{m+2n}=12$ .  
 $\therefore a^{m+2n}=a^m \cdot (a^n)^2=4a^m=12$ . $\therefore a^m=3$ .

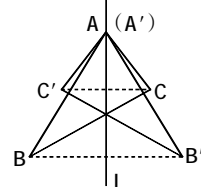
(2)由(1),得  
 $a^{2m+3n}=(a^m)^2 \div (a^n)^3=3^2 \div 2^3=\frac{9}{8}$ .  
 17.解:(1)一,完全平方公式用错.  
 (2)原式= $x^2-4x+4-(x^2-1)$   
 $=x^2-4x+4-x^2+1$   
 $=-4x+5$ .  
 四、  
 18.解:(1) $\therefore (a^x)^y=a^6, (a^x)^2 \div a^x=a^3$ ,  
 $\therefore a^x=a^6, a^{2x} \div a^x=a^{2x-x}=a^3$ .  
 $\therefore xy=6, 2x-y=3$ .  
 (2) $4x^2+y^2=(2x-y)^2+4xy=3^2+4 \times 6=9+24=33$ .  
 19.解:(1)48,48,48.  
 (2)证明:设四个数围起来的中间的数为  $x$ , 则四个数从小到大依次为  $x-7, x-1, x+1, x+7$ .  
 则  $(x-1) \cdot (x+1) - (x-7) \cdot (x+7)$   
 $=(x^2-1) - (x^2-49)$   
 $=x^2-1-x^2+49$   
 $=48$ .  
 20.解:(1) $\therefore S=\frac{(BC+AD) \cdot BE}{2}$ ,  
 $\therefore S=\frac{(4x+y+5x+2y) \cdot (x+2y)}{2}=\frac{9}{2}x^2+\frac{21}{2}xy+3y^2$ .  
 答:这块空地的面积为  $(\frac{9}{2}x^2+\frac{21}{2}xy+3y^2)$  平方米.  
 (2) $\therefore$  长方形广场的面积为  $(6x^2+12xy+9x)$  平方米, 宽为  $3x$  米,  
 $\therefore$  长方形广场的长为  $(6x^2+12xy+9x) \div 3x=2x+4y+3$ .  
 $\therefore 5x+2y-(2x+4y+3)=3x-2y-3$ .  
 答:长方形广场的长比梯形的下底小  $(3x-2y-3)$  米.  
 五、  
 21.解:(1) $x^n-1$ .  
 (2) $1+5+5^2+5^3+5^4+5^5+\cdots+5^{2018}+5^{2019}+5^{2020}$   
 $=\frac{1}{4} \times (5-1) \cdot (1+5+5^2+5^3+5^4+5^5+\cdots+5^{2018}+5^{2019}+5^{2020})$   
 $=\frac{1}{4} \times (5^{2021}-1)$   
 $=\frac{5^{2021}-1}{4}$ .  
 22.解:(1) $(a+b)^2=(a-b)^2+4ab$ .  
 (2)4 或 -4.  
 (3) $\therefore (2019-m)^2+(m-2020)^2=7$ ,  
 又  $(2019-m+m-2020)^2=(2019-m)^2+(m-2020)^2+2(2019-m)(m-2020)$ ,  
 $\therefore 1=7+2(2019-m)(m-2020)$ .  
 $\therefore (2019-m)(m-2020)=-3$ .  
 六、  
 23.解:(1)设  $9-x=a, x-4=b$ , 则  $(9-x)(x-4)=ab=4, a+b=(9-x)+(x-4)=5$ .  
 $\therefore (9-x)^2+(x-4)^2=a^2+b^2=(a+b)^2-2ab=5^2-2 \times 4=17$ .  
 (2) $\therefore$  正方形 ABCD 的边长为  $x$ ,  
 $\therefore DE=x-2, DF=x-4$ .  
 设  $x-2=a, x-4=b$ ,  
 则 S 正方形 EMFD= $ab=63, a-b=(x-2)-(x-4)=2$ .  
 $\therefore (a+b)^2=(a-b)^2+4ab=256$ ,  
 即  $a+b=16$ .  
 $\therefore (x-2)^2-(x-4)^2=a^2-b^2=(a+b)(a-b)=32$ .  
 $\therefore$  阴影部分的面积是 32.

2020-2021 学年

## 数学·江西八年级(人教)答案页第 3 期



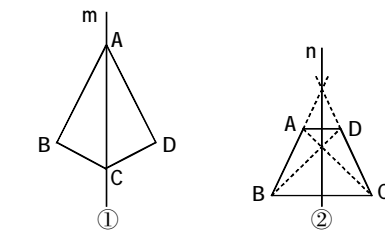
第 9 期  
 2~3 版  
 一、选择题  
 1~3.ADA 4~6.BCC  
 二、填空题  
 7.52° 8.5  
 9.240° 10.3  
 11.8 12.40°或 100°或 140°  
 三、  
 13.证明: $\therefore CD \parallel AB, \angle ACD=60^\circ$ ,  
 $\therefore \angle A=\angle ACD=60^\circ$ .  
 $\therefore \angle B=60^\circ$ ,  
 $\therefore \angle ACB=180^\circ-\angle A-\angle B=60^\circ$ .  
 $\therefore \angle A=\angle B=\angle ACB$ .  
 $\therefore \triangle ABC$  是等边三角形.  
 14.解:根据题意,得  $BA=BD$ ,  
 则  $\angle BAD=\angle BDA$ .  
 $\therefore \angle B=50^\circ$ ,  
 $\therefore \angle BAD=\angle BDA=65^\circ$ .  
 $\therefore \angle BDA=\angle DAC+\angle C, \angle C=36^\circ$ ,  
 $\therefore \angle DAC=\angle BDA-\angle C=65^\circ-36^\circ=29^\circ$ .  
 15.解:如图所示.



(第 15 题图)

16.解: $\therefore MN \parallel BC$ ,  
 $\therefore \angle MEB=\angle CBE, \angle NEC=\angle BCE$ .  
 $\therefore \angle ABC$  和  $\angle ACB$  的平分线交于点 E,  
 $\therefore \angle MBE=\angle EBC, \angle NCE=\angle BCE$ .  
 $\therefore \angle MEB=\angle MBE, \angle NEC=\angle NCE$ .  
 $\therefore ME=MB, NE=NC$ .  
 $\therefore MN=ME+NE=BM+CN=5$ .  
 故线段 MN 的长为 5.  
 17.解:(1) $\therefore AB$  边的垂直平分线分别交  $AB, BC$  于点  $D, E$ .  
 $\therefore BE=AE$ . $\therefore \angle BAE=\angle B=30^\circ$ .  
 又  $\therefore \angle BAC=80^\circ$ ,  
 $\therefore \angle CAE=\angle BAC-\angle BAE=80^\circ-30^\circ=50^\circ$ .  
 (2)由(1)知  $AE=BE$ ,  
 $\therefore AE+CE+AC=BE+CE+AC=BC+AC=12$  cm.  
 $\therefore \triangle AEC$  的周长为 12 cm.

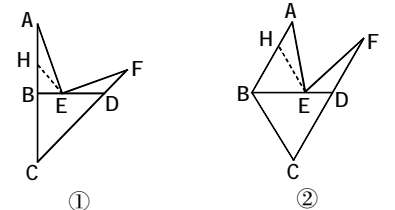
四、  
 18.解:(1)如图①,直线  $m$  即为所求.  
 (2)如图②,直线  $n$  即为所求.



(第 18 题图)

19.解:(1) $\therefore AB=AC, AD \perp BC$  于点 D,  
 $\therefore \angle BAD=\angle CAD, \angle ADC=90^\circ$ .  
 又  $\angle C=42^\circ$ ,  
 $\therefore \angle BAD=\angle CAD=90^\circ-42^\circ=48^\circ$ .  
 (2)证明: $\therefore AB=AC, AD \perp BC$  于点 D,  
 $\therefore \angle BAD=\angle CAD$ .  
 $\therefore EF \parallel AC, \therefore \angle F=\angle CAD$ .  
 $\therefore \angle BAD=\angle F$ . $\therefore AE=FE$ .  
 20.解:(1) $\therefore \triangle ABC$  是等边三角形,  
 $\therefore \angle B=\angle A=\angle C=60^\circ$ .  
 $\therefore \angle B+\angle 1+\angle DEB=180^\circ, \angle DEB+\angle DEF+\angle 2=180^\circ, \angle DEF=60^\circ$ ,  
 $\therefore \angle 1+\angle DEB=\angle 2+\angle DEB$ .  
 $\therefore \angle 2=\angle 1=50^\circ$ .  
 (2)证明: $\therefore DF \parallel BC$ ,  
 $\therefore \angle FDE=\angle DEB$ .  
 $\therefore \angle B+\angle 1+\angle DEB=180^\circ, \angle FDE+\angle 3+\angle DEF=180^\circ, \angle B=\angle DEF=60^\circ$ ,  
 $\therefore \angle 1=\angle 3$ .  
 五、  
 21.解:(1)点 O 到  $\triangle ABC$  的三个顶点 A, B, C 的距离的关系是  $OA=OB=OC$ .  
 (2) $\triangle OMN$  是等腰直角三角形.  
 证明: $\therefore \triangle ABC$  中,  $AB=AC, \angle BAC=90^\circ, O$  为  $BC$  的中点,  
 $\therefore OA=OB=OC, AO$  平分  $\angle BAC$ ,  
 $AO \perp BC$ .  
 $\therefore \angle AOB=90^\circ, \angle B=\angle C=45^\circ, \angle BAO=\angle CAO=45^\circ$ .  
 $\therefore \angle CAO=\angle B$ .  
 在  $\triangle AON$  和  $\triangle BOM$  中,  
 $\begin{cases} AN=BM, \\ \angle CAO=\angle B, \\ OA=OB, \end{cases}$   
 $\therefore \triangle AON \cong \triangle BOM(SAS)$ .  
 $\therefore OM=ON, \angle AON=\angle BOM$ .  
 $\therefore \angle BOM+\angle AOM=\angle AOB=90^\circ$ ,  
 $\therefore \angle AON+\angle AOM=90^\circ$ ,  
 即  $\angle MON=90^\circ$ .  
 $\therefore \triangle OMN$  是等腰直角三角形.  
 22.解:探究:证明:如图①,在线段 BA 上取点 H, 使  $BH=BE$ , 连接 EH.  
 $\therefore \angle CBD=90^\circ, BC=BD$ ,  
 $\therefore \angle ABE=90^\circ, \angle EDF=135^\circ$ .  
 $\therefore BH=BE, \therefore \angle BHE=45^\circ$ .  
 $\therefore \angle AHE=\angle EDF=135^\circ$ .  
 $\therefore BD=BC, BC=BA, \therefore BA=BD$ .  
 $\therefore AH=DE$ .  
 $\therefore AE \perp EF, \therefore \angle AEF=90^\circ$ .  
 $\therefore \angle FED+\angle AEB=90^\circ$ .  
 $\therefore \angle A+\angle AEB=90^\circ, \therefore \angle A=\angle FED$ .  
 $\therefore \triangle AHE \cong \triangle EDF(ASA)$ . $\therefore AE=EF$ .  
 应用:解:如图②,在线段 BA 上取点 H, 使  $BH=BE$ , 连接 EH.  
 $\therefore \angle CBD=60^\circ, BC=BD$ ,  
 $\therefore \triangle BCD$  是等边三角形.  
 $\therefore \angle BCD=\angle BDC=60^\circ$ .  
 $\therefore$  点 A, 点 C 关于线段 BD 对称,  
 $\therefore AB=BC$ .  
 $\therefore BC=BD, \therefore AB=BD$ .  
 又  $BH=BE, \therefore AH=DE$ .  
 $\therefore \angle BHE=\angle CDB=60^\circ$ ,

$\therefore \angle AHE=\angle EDF=120^\circ$ .  
 $\therefore \angle AED=\angle AEF+\angle DEF=\angle ABD+\angle EAH, \angle AEF=\angle ABD=60^\circ$ ,  
 $\therefore \angle DEF=\angle EAH$ .  
 $\therefore \triangle AHE \cong \triangle EDF(ASA)$ .  
 $\therefore EH=DF=2$ .  
 $\therefore BE=EH=2, BD=2+1=3$ .

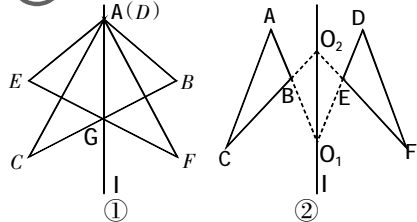


(第 22 题图)

六、  
 23.解:(1) $AF=BD$ .  
 (2)结论仍然成立.  
 证明: $\therefore \triangle ABC$  和  $\triangle DCF$  都是等边三角形,  
 $\therefore AC=BC, CD=CF, \angle ACB=\angle DCF=60^\circ$ .  
 $\therefore \angle ACB+\angle ACD=\angle DCF+\angle ACD$ ,  
 即  $\angle BCD=\angle ACF$ .  
 在  $\triangle BCD$  和  $\triangle ACF$  中,  
 $\begin{cases} BC=AC, \\ \angle BCD=\angle ACF, \\ CD=CF, \end{cases}$   
 $\therefore \triangle BCD \cong \triangle ACF(SAS)$ .  
 $\therefore AF=BD$ .  
 (3) $AF+BF'=AB$ .  
 证明:由(1)知,  $\triangle BCD \cong \triangle ACF$ .  
 $\therefore BD=AF$ .  
 同理可证,  $\triangle BCF' \cong \triangle ACD(SAS)$ .  
 $\therefore BF'=AD$ .  
 $\therefore AF+BF'=BD+AD=AB$ .

第 10 期  
 期中检测卷(一)  
 一、选择题  
 1~3.DBD 4~6.CBC  
 二、填空题  
 7.5 8.105°  
 9.45° 10.-3  
 11. $\frac{a-b}{2}$  12.40°或 20°  
 三、  
 13.解:(1)根据题意,得  $(n-2) \times 180^\circ=3 \times 360^\circ$ .  
 解得  $n=8$ .  
 (2)证明: $\therefore BE=CF$ ,  
 $\therefore BE+EF=CF+EF$ , 即  $BF=CE$ .  
 在  $\triangle ABF$  和  $\triangle DCE$  中,  
 $\begin{cases} AB=DC, \\ \angle B=\angle C, \\ BF=CE, \end{cases}$   
 $\therefore \triangle ABF \cong \triangle DCE(SAS)$ .  
 $\therefore AF=DE$ .  
 14.解:根据三角形的三边关系,得  
 $11-2 < BC < 11+2$ ,  
 即  $9 < BC < 13$ .  
 $\therefore BC$  为奇数,  
 $\therefore BC=11$ .  
 $\therefore \triangle ABC$  的周长为  $11+11+2=24$ .

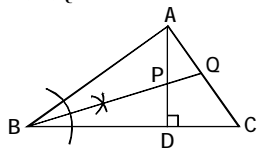
③ 15.解:如图,直线  $l$  就是所求作的对称轴.



(第 15 题图)

16.解:  $\because AB \parallel CD$ ,  
 $\therefore \angle B = \angle DCB$ ,  $\angle DCE = \angle AEC$ ,  
 $\angle AED + \angle D = 180^\circ$ .  
 $\because \angle B = 44^\circ$ ,  $\therefore \angle DCB = 44^\circ$ .  
 $\therefore \angle BCE = 30^\circ$ .  
 $\therefore \angle DCE = \angle DCB + \angle BCE = 44^\circ + 30^\circ = 74^\circ$ .  
 $\therefore \angle AEC = \angle DCE = 74^\circ$ .  
 $\therefore EC$  为  $\angle AED$  的平分线,  
 $\therefore \angle AED = 2\angle AEC = 2 \times 74^\circ = 148^\circ$ .  
 $\therefore \angle D = 180^\circ - 148^\circ = 32^\circ$ .

17.解:如图,  $BQ$  就是所求作的  $\angle ABC$  的平分线,  $P, Q$  为两个交点.



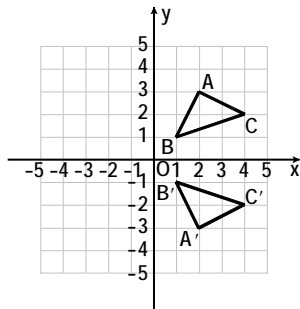
(第 17 题图)

证明如下:  $\because AD \perp BC$ ,  
 $\therefore \angle ADB = 90^\circ$ .  $\therefore \angle BPD + \angle PBD = 90^\circ$ .  
 $\therefore \angle BAC = 90^\circ$ .  
 $\therefore \angle AQP + \angle ABQ = 90^\circ$ .  
 $\therefore \angle ABQ = \angle PBD$ ,  
 $\therefore \angle BPD = \angle AQP$ .  
 $\therefore \angle BPD = \angle APQ$ ,  
 $\therefore AP = AQ$ .

四、  
 18.解: (1) 证明:  $\because \angle ACD$  的平分线  $CE$  交  $AB$  于点  $F$ ,  
 $\therefore \angle ACF = \angle DCF$ .  
 $\because AB \parallel CD$ ,  $\therefore \angle AFC = \angle DCF$ .  
 $\therefore \angle ACF = \angle AFC$ .  $\therefore AC = AF$ .  
 (2)  $\because \angle FCD = 30^\circ$ ,  $AB \parallel CD$ ,  
 $\therefore \angle ACD = \angle CAF = 60^\circ$ ,  $\angle AFC = 30^\circ$ .  
 $\therefore \angle AFE$  的平分线交  $CA$  的延长线于点  $G$ ,

$\therefore \angle AFG = \angle GFE = \frac{1}{2} \angle AFE = \frac{1}{2} \times 150^\circ = 75^\circ$ .  
 $\therefore \angle G = 180^\circ - \angle GAF - \angle AFG = 180^\circ - 60^\circ - 75^\circ = 45^\circ$ .

19.解: (1)  $\frac{5}{2}$ .  
 (2) 如图,  $\triangle A'B'C'$  即为所求.



(第 19 题图)

(3) 点  $M$  在  $\triangle A'B'C'$  内部的对应点

$M'$  的坐标为  $(x, -y)$ .  
 20. 证明: (1)  $\because BA \perp AM$ ,  $MN \perp AC$ ,  
 $\therefore \angle BAM = \angle ANM = 90^\circ$ .  
 $\therefore \angle PAQ + \angle MAN = \angle MAN + \angle AMN = 90^\circ$ .  
 $\therefore \angle PAQ = \angle AMN$ .  
 $\because PQ \perp AB$ ,  $MN \perp AC$ ,  
 $\therefore \angle PQA = \angle ANM = 90^\circ$ .  
 又  $\because AQ = MN$ ,  
 $\therefore \triangle PQA \cong \triangle ANM$  (ASA).  
 $\therefore AP = AM$ .  
 $\therefore \triangle APM$  是等腰三角形.  
 (2) 由 (1) 知,  $\triangle PQA \cong \triangle ANM$ .  
 $\therefore AN = PQ$ ,  $AM = AP$ .  
 $\therefore \angle AMB = \angle APM$ .  
 $\therefore \angle APM = \angle BPC$ ,  $\angle BPC + \angle PBC = 90^\circ$ ,  $\angle AMB + \angle ABM = 90^\circ$ ,  
 $\therefore \angle ABM = \angle PBC$ .  
 $\because PQ \perp AB$ ,  $PC \perp BC$ ,  
 $\therefore PQ = PC$ .  
 $\therefore PC = AN$ .

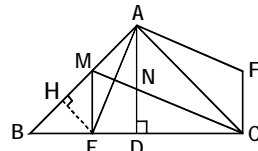
五、  
 21. 解: (1)  $\because \triangle ABC$  和  $\triangle CDE$  都是等边三角形,  
 $\therefore AC = BC$ ,  $DC = EC$ ,  $\angle ACB = \angle DCE = 60^\circ$ .  
 $\therefore \angle ACB + \angle BCD = \angle DCE + \angle BCD$ ,  
 即  $\angle ACD = \angle BCE$ .  
 在  $\triangle ACD$  和  $\triangle BCE$  中,  
 $\begin{cases} AC = BC, \\ \angle ACD = \angle BCE, \\ DC = EC, \end{cases}$   
 $\therefore \triangle ACD \cong \triangle BCE$  (SAS).  
 $\therefore \angle CAD = \angle CBE$ .  
 又  $\because \angle AMC = \angle BMP$ ,  
 $\therefore \angle APB = \angle ACB = 60^\circ$ .  
 (2) 证明: 在  $\triangle ACM$  和  $\triangle BCN$  中,  
 $\begin{cases} \angle CAD = \angle CBE, \\ AC = BC, \\ \angle ACB = \angle BCD = 60^\circ, \end{cases}$   
 $\therefore \triangle ACM \cong \triangle BCN$  (ASA).  
 $\therefore CM = CN$ .

22. 解: (1) 证明:  $\because$  在  $\triangle ABC$  中,  $\angle ABC = 90^\circ$ ,  
 $\therefore \angle ACB + \angle BAC = 90^\circ$ .  
 又在  $\triangle ABD$  中,  $\angle ABD + \angle ADB + \angle BAD = 180^\circ$ , 且  $\angle ABD + \angle ADB = \angle ACB$ ,  
 $\therefore \angle ACB + \angle BAD = 180^\circ$ ,  
 即  $\angle ACB + \angle BAC + \angle CAD = 180^\circ$ .  
 $\therefore \angle CAD = 90^\circ$ .  
 $\therefore AD \perp AC$ .  
 (2)  $\angle BAC = 2\angle ACD$ .  
 理由:  $\because \angle ABC = 90^\circ$ ,  
 $\therefore \angle BAC = 90^\circ - \angle ACB = 90^\circ - (\angle BCD - \angle ACD)$ .

$\therefore \angle DAC = 90^\circ$ ,  
 $\therefore \angle ADC = 90^\circ - \angle ACD$ .  
 $\therefore \angle ADC = \angle BCD$ ,  
 $\therefore \angle BCD = 90^\circ - \angle ACD$ .  
 $\therefore \angle BAC = 90^\circ - (90^\circ - \angle ACD - \angle ACD) = 2\angle ACD$ .

六、  
 23. 证明: (1)  $\because \angle BAC = 90^\circ$ ,  $AB = AC$ ,  
 $\therefore \angle B = \angle ACB = 45^\circ$ .  
 $\therefore FC \perp BC$ ,  $\therefore \angle BCF = 90^\circ$ .  
 $\therefore \angle ACF = 90^\circ - 45^\circ = 45^\circ$ .  
 $\therefore \angle B = \angle ACF$ .  
 $\because \angle BAC = 90^\circ$ ,  $FA \perp AE$ ,  
 $\therefore \angle BAE + \angle CAE = 90^\circ$ ,  $\angle CAF + \angle CAE = 90^\circ$ .  
 $\therefore \angle BAE = \angle CAF$ .  
 $\therefore \triangle ABE \cong \triangle ACF$  (ASA).  
 $\therefore BE = CF$ .

(2) ① 如图, 过点  $E$  作  $EH \perp AB$  于  $H$ , 则  $\triangle BEH$  是等腰直角三角形.  
 $\therefore HE = BH$ ,  $\angle BEH = 45^\circ$ .  
 $\therefore AE$  平分  $\angle BAD$ ,  $AD \perp BC$ ,  
 $\therefore DE = HE$ .  $\therefore DE = BH = HE$ .  
 $\therefore BM = 2DE$ ,  $\therefore HE = HM$ .  
 $\therefore \triangle HEM$  是等腰直角三角形.  
 $\therefore \angle MEH = 45^\circ$ .  
 $\therefore \angle BEM = 45^\circ + 45^\circ = 90^\circ$ .  
 $\therefore ME \perp BC$ .



(第 23 题图)

② 由题意, 得  $\angle CAE = 45^\circ + \frac{1}{2} \times 45^\circ = 67.5^\circ$ .  $\therefore \angle CEA = 180^\circ - 45^\circ - 67.5^\circ = 67.5^\circ$ .  
 $\therefore \angle CAE = \angle CEA$ .  $\therefore AC = CE$ .  
 又  $\because CM = CM$ ,  
 $\therefore \text{Rt} \triangle ACM \cong \text{Rt} \triangle ECM$  (HL).  
 $\therefore \angle ACM = \angle ECM = \frac{1}{2} \times 45^\circ = 22.5^\circ$ ,  
 即  $CM$  平分  $\angle ACB$ .

③  $\because \angle DAE = \frac{1}{2} \times 45^\circ = 22.5^\circ$ ,  
 $\therefore \angle DAE = \angle ECM$ .  
 $\because \angle BAC = 90^\circ$ ,  $AB = AC$ ,  $AD \perp BC$ ,  
 $\therefore AD = CD = \frac{1}{2} BC$ .

又  $\because \angle ADE = \angle CDN$ ,  
 $\therefore \triangle ADE \cong \triangle CDN$  (ASA).  
 $\therefore DE = DN$ .

期中检测卷 (二)  
 一、选择题  
 1~3. CBA      4~6. DAA  
 二、填空题  
 7.3      8.80°  
 9.3      10.4  
 11.40      12.50° 或 40°

三、  
 13. 解: (1)  $\because |a-1| + (b-3)^2 = 0$ ,  
 且  $|a-1| \geq 0$ ,  $(b-3)^2 \geq 0$ ,  
 $\therefore a-1=0$ ,  $b-3=0$ .  
 $\therefore a=1$ ,  $b=3$ .  
 $\therefore 2 < c < 4$ .

(2) 证明:  $\because \angle AED = \angle ABC$ ,  $\angle AED = \angle ABE + \angle EAB$ ,  $\angle ABC = \angle ABE + \angle DBC$ ,  
 $\therefore \angle EAB = \angle DBC$ .  
 $\therefore AE = BE$ ,  $\therefore \angle EAB = \angle ABE$ .  
 $\therefore \angle DBC = \angle ABE$ .  $\therefore BD$  平分  $\angle ABC$ .  
 14. 解: 在  $\triangle ABC$  中,  
 $\angle ABC = 180^\circ - (\angle BAC + \angle C) = 70^\circ$ .  
 $\therefore BE$  平分  $\angle ABC$ ,  
 $\therefore \angle FBD = 35^\circ$ .  
 (2) 在  $\text{Rt} \triangle BFD$  中,  $\angle BFD = 90^\circ - \angle FBD = 55^\circ$ .

15. 证明:  $\because \angle ADC = \angle 1 + \angle B$ ,  
 $\therefore \angle ADE + \angle 2 = \angle 1 + \angle B$ .  
 $\therefore \angle 1 = \angle 2$ .  $\therefore \angle ADE = \angle B$ .  
 在  $\triangle ABC$  和  $\triangle ADE$  中,  
 $\begin{cases} \angle B = \angle ADE, \\ \angle C = \angle E, \\ AC = AE, \end{cases}$   
 $\therefore \triangle ABC \cong \triangle ADE$  (AAS).  
 16. 解: (1)  $\because \triangle ABC$  是等边三角形,  
 $\therefore \angle ACB = \angle ABC = 60^\circ$ .  
 $\therefore CE = CD$ ,  
 $\therefore \angle E = \angle CDE$ .

## 数学·江西八年级(人教)答案页第 3 期



### 第 11 期

2 版

#### 14.1.1 同底数幂的乘法

1. A  
 2. (1)  $a^7$ ;  
 (2)  $(a-b)^5$ ;  
 (3)  $a^{2m+3}$ .

3. 2

#### 14.1.2 幂的乘方

1. A  
 2. (1)  $x^{38}$ ; (2)  $2a^{12}$ ; (3)  $a^8$ .  
 3. 72

#### 14.1.3 积的乘方

1. A      2. 1  
 3. 解: (1) 原式  $= -27x^3$ .  
 (2) 原式  $= 16x^8 - x^8 = 15x^8$ .  
 (3) 原式  $= -8x^6 + 9x^6 + x^6 = 2x^6$ .

4. 64

#### 14.1.4 整式的乘法 (一)

第 1 课时

1. C  
 2. (1)  $6x^7$ ; (2)  $\frac{1}{3} a^3 b^4 c$ ; (3)  $-40x^4$ ;  
 (4)  $2x^4 y^6$ .  
 3. 1. 2

#### 第 2 课时

1. A  
 2. 解: (1) 原式  $= x^2 + 2x + x + 2 = x^2 + 3x + 2$ .  
 (2) 原式  $= x^2 - xy + xy - y^2 - 2x + 2y = x^2 - y^2 - 2x + 2y$ .  
 3. -12

#### 3~4 版

一、选择题  
 1~3. DCC      4~6. ABD

#### 二、填空题

7.  $x^6$       8. 4  
 9.  $\frac{1}{5}$       10. 0, 8, 2  
 11. 12      12. 20 或 28

三、  
 13. 解: (1) 原式  $= -a^8 \cdot a^6 = -a^{14}$ .  
 (2) 原式  $= m^8 + m^6 - m^8 = m^6$ .  
 14. 解: (1) 原式  $= 15a^3 b^2 - 35a^3 b^3 - 5a^3 b^3$ .  
 (2) 原式  $= 2m^3 + 3m^2 - 11m + 3$ .  
 15. 解: (1)  $2(x^2 - 2xy) - 2x(x + 2y) = 2x^2 - 4xy - 2x^2 - 4xy = -8xy$ .

当  $x = \frac{1}{2}$ ,  $y = -1$  时,

原式  $= -8 \times \frac{1}{2} \times (-1) = 4$ .

(2) 原式  $= 4x^2 - 8x + 3x - 6 - 2(2x^2 - 3x - 2x + 3) = 4x^2 - 5x - 6 - 4x^2 + 10x - 6 = 5x - 12$ .  
 当  $x = -2$  时, 原式  $= 5 \times (-2) - 12 = -22$ .  
 16. 解: 原式  $= (2a-4)x^2 + (a-6)x + m-3$ .  
 $\therefore$  化简后不含有  $x^2$  项和常数项,  
 $\therefore 2a-4=0$ ,  $m-3=0$ .  
 解得  $a=2$ ,  $m=3$ .

又  $\because \angle ACB = \angle E + \angle CDE$ ,

$\therefore \angle E = \frac{1}{2} \angle ACB = 30^\circ$ .

(2) 证明: 连接  $BD$ .  
 $\because$  等边  $\triangle ABC$  中,  $D$  是  $AC$  的中点,  
 $\therefore \angle DBC = \frac{1}{2} \angle ABC = \frac{1}{2} \times 60^\circ = 30^\circ$ .

由 (1) 知  $\angle E = 30^\circ$ .

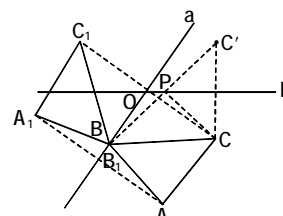
$\therefore \angle DBC = \angle E = 30^\circ$ .

$\therefore DB = DE$ .

又  $\because DM \perp BC$ ,

$\therefore M$  是  $BE$  的中点.

17. 解: (1) 如图所示,  $\triangle A_1 B_1 C_1$  即为所求.



(第 17 题图)

(2) 如图所示, 点  $P$  即为所求.

四、  
 18. 解: (1) 证明:  $\because$  线段  $AB$  的垂直平分线与  $BC$  边交于点  $P$ ,

$\therefore PA = PB$ .  $\therefore \angle B = \angle BAP$ .  
 $\therefore \angle APC = \angle B + \angle BAP$ ,  
 $\therefore \angle APC = 2\angle B$ .  
 (2) 根据题意, 可知  $BA = BQ$ .  
 $\therefore \angle BAQ = \angle BQA$ .  
 $\therefore \angle AQC = 3\angle B$ ,  $\angle AQC = \angle B + \angle BAQ$ ,  
 $\therefore \angle BQA = \angle BAQ = 2\angle B$ .  
 $\therefore \angle BAQ + \angle BQA + \angle B = 180^\circ$ ,  
 $\therefore 5\angle B = 180^\circ$ .  
 $\therefore \angle B = 36^\circ$ .

19. 解: (1) 证明:  $\because \angle BAD = \angle CAE$ ,  
 $\therefore \angle BAC = \angle DAE$ .  
 在  $\triangle ABC$  和  $\triangle ADE$  中,  
 $\begin{cases} AB = AD, \\ \angle BAC = \angle DAE, \\ AC = AE, \end{cases}$   
 $\therefore \triangle ABC \cong \triangle ADE$  (SAS).  
 $\therefore \angle C = \angle E$ .

(2) 由 (1) 知,  $\triangle ABC \cong \triangle ADE$ ,  
 则  $\angle ADE = \angle B$ .  
 $\therefore \angle BAD = 20^\circ$ ,  $AB = AD$ ,  
 $\therefore \angle ADB = \angle B = 80^\circ$ .  
 $\therefore \angle ADE = 80^\circ$ .  
 $\therefore \angle CDF = 180^\circ - \angle ADB - \angle ADE = 20^\circ$ .

20. 解: (1) 这个  $n$  边形每个内角的度数为  $180^\circ - 15^\circ = 165^\circ$ .  
 $\therefore$  多边形外角和为  $360^\circ$ ,  
 $\therefore 15n = 360$ . 解得  $n = 24$ .  
 $\therefore$  这个  $n$  边形的内角和是  $(24-2) \times 180^\circ = 3960^\circ$ .

(2)  $5 \times 24 = 120$  (米).

小亮走出的这个  $n$  边形的周长是 120 米.

五、  
 21. 解: (1) 设  $\angle PAQ = x$ ,  $\angle CAP = y$ ,  
 $\angle BAQ = z$ .

$\therefore MP$  和  $NQ$  分别垂直平分  $AB$  和  $AC$ ,  
 $\therefore AP = PB$ ,  $AQ = CQ$ .

$\therefore \angle B = \angle BAP = x + z$ ,  $\angle C = \angle CAQ = x + y$ .

$\therefore \angle BAC = 80^\circ$ ,

$\therefore \angle B + \angle C = 100^\circ$ ,

即  $x + y + z = 80^\circ$ ,  $x + z + x + y = 100^\circ$ .

$\therefore x = 20^\circ$ .

$\therefore \angle PAQ = 20^\circ$ .

(2)  $\because \triangle APQ$  的周长为 12,

$\therefore AQ + PQ + AP = 12$ .

$\therefore AQ = CQ$ ,  $AP = PB$ ,

$\therefore CQ + PQ + PB = 12$ ,

即  $CQ + BQ + 2PQ = 12$ ,  $BC + 2PQ = 12$ .

$\therefore BC = 8$ ,

$\therefore PQ = 2$ .

22. 解: (1) 证明:  $\because BE$  平分  $\angle ABC$ ,

$\therefore \angle ABF = \angle CBF = \frac{1}{2} \angle ABC$ .

$\because AB \parallel CD$ ,  $\therefore \angle ABF = \angle E$ .

$\therefore \angle CBF = \angle E$ .  $\therefore BC = CE$ .

$\therefore \triangle BCE$  是等腰三角形.

$\therefore F$  为  $BE$  的中点,

$\therefore CF$  平分  $\angle BCD$ ,

即  $CG$  平分  $\angle BCD$ .

(2)  $\because AB \parallel CD$ ,

$\therefore \angle ABC + \angle BCD = 180^\circ$ .

$\therefore \angle ABC = 52^\circ$ ,  $\therefore \angle BCD = 128^\circ$ .

$\therefore CG$  平分  $\angle BCD$ ,

$\therefore \angle GCD = \frac{1}{2} \angle BCD = 64^\circ$ .

$\therefore \angle ADE = 110^\circ$ ,  $\angle ADE = \angle CGD + \angle GCD$ ,  
 $\therefore \angle CGD = 110^\circ - 64^\circ = 46^\circ$ .

#### 六、

23. 解: (1)  $\because \angle B = 40^\circ$ ,  $\angle C = 62^\circ$ ,  
 $\therefore \angle BAC = 180^\circ - \angle B - \angle C = 180^\circ - 40^\circ - 62^\circ = 78^\circ$ .

$\therefore AD$  是  $\angle BAC$  的平分线,

$\therefore \angle DAC = \frac{1}{2} \angle BAC = 39^\circ$ .

在  $\text{Rt} \triangle AEC$  中,  $\because \angle EAC = 90^\circ - \angle C = 90^\circ - 62^\circ = 28^\circ$ ,  
 $\therefore \angle DAE = \angle DAC - \angle EAC = 39^\circ - 28^\circ = 11^\circ$ .

(2)  $\because \angle BAC = 180^\circ - \angle B - \angle C$ ,  $AD$  是  $\angle BAC$  的平分线,  
 $\therefore \angle DAC = \frac{1}{2} \angle BAC = 90^\circ - \frac{1}{2} (\angle B + \angle C)$ .

$\therefore AE$  是  $BC$  边上的高,  
 $\therefore$  在  $\text{Rt} \triangle AEC$  中,  $\angle EAC = 90^\circ - \angle C$ .

$\therefore \angle DAE = \angle DAC - \angle EAC = 90^\circ - \frac{1}{2} (\angle B + \angle C) - (90^\circ - \angle C) = \frac{1}{2} (\angle C - \angle B)$ .

(3) 设  $\angle ACB = \alpha$ .

$\therefore AE \perp BC$ ,

$\therefore \angle EAC = 90^\circ - \alpha$ ,  $\angle BCF = 180^\circ - \alpha$ .

$\therefore \angle CAE$  和  $\angle BCF$  的平分线交于点  $G$ ,

$\therefore \angle CAG = \frac{1}{2} \angle CAE = \frac{1}{2} (90^\circ - \alpha) = 45^\circ - \frac{1}{2} \alpha$ .